

The adventures of black holes: The case of fundamental physics

Helvi Witek

Department of Physics & Illinois Center for Advanced Studies of the Universe
University of Illinois at Urbana-Champaign

11th Iberian Gravitational Wave meeting, 9 June 2021



DiRAC



Nature's mysteries

High-energy physics
Quantum gravity

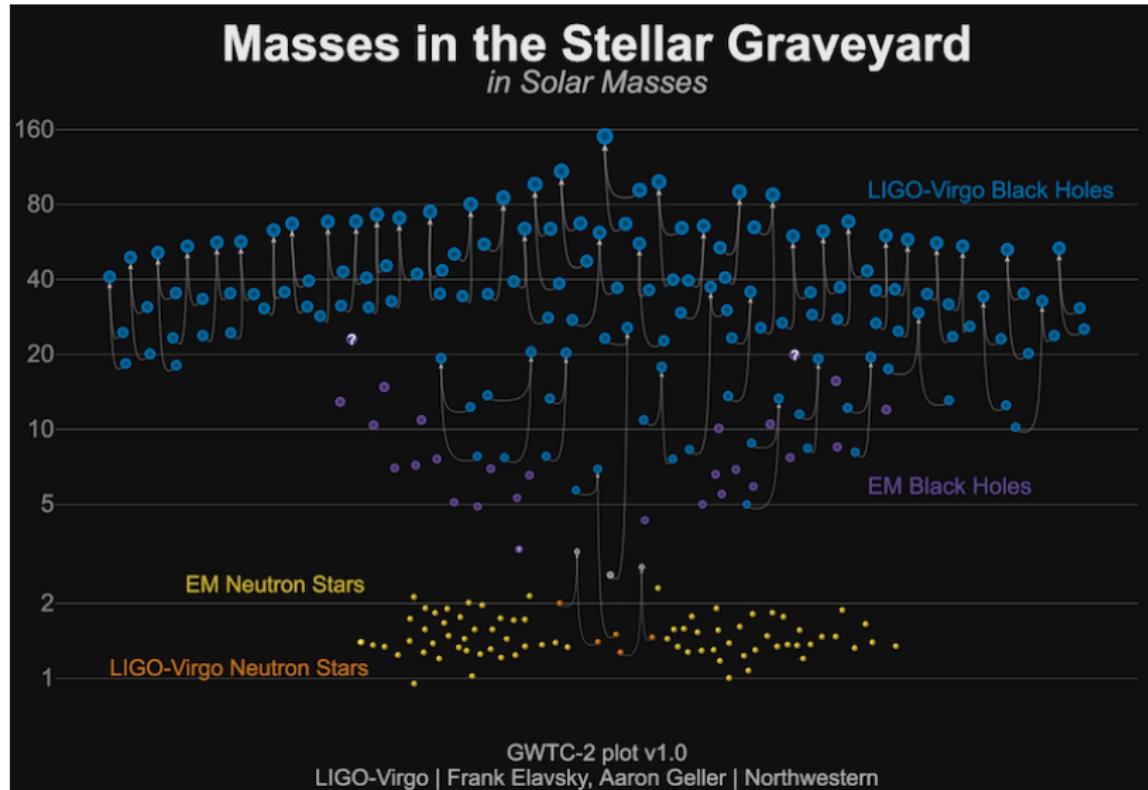
- Probe nuclear matter in neutron star mergers
- Beyond-standard model particle physics
 - Strong field tests of gravity

Nuclear theory
Equations of state

Particle physics
Dark matter

**Black holes, neutron stars and gravitational waves as
“gravity detectives” for new physics**

We have (gravitational wave) data!



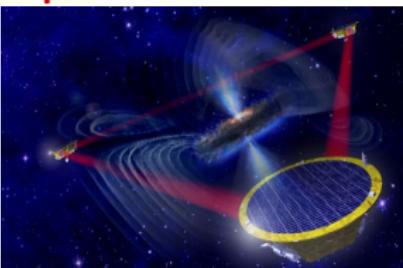
Present and future of gravitational wave astronomy

Groundbased detectors



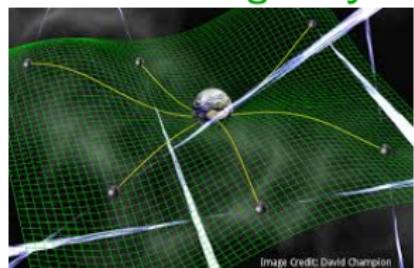
Laser Interferometer Gravitational wave Observatory – Livingston

Spacebased detectors

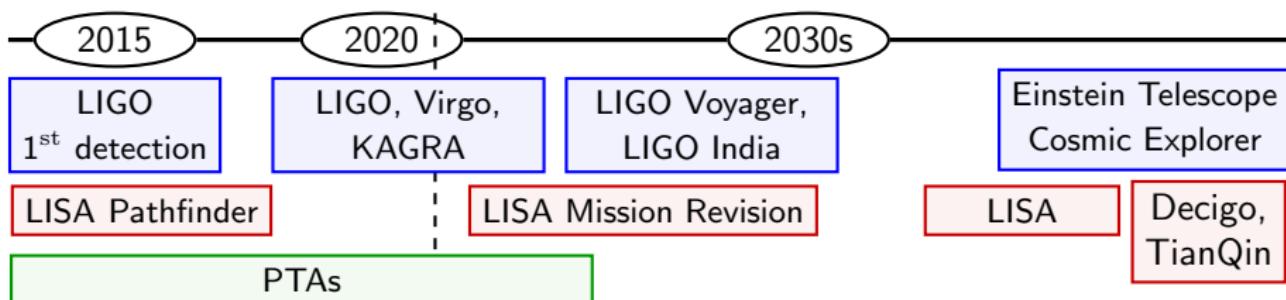


Laser Interferometer Space Antenna

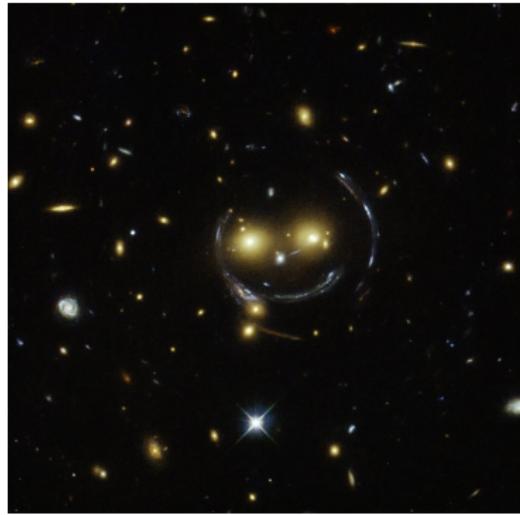
Pulsar-timing arrays



artistic impression



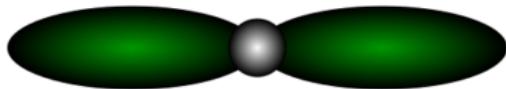
Dark matter?



(credit: Hubble-Space-Telescope)

Example: Black holes as cosmic particle detectors

- superradiant instability
→ formation of bosonic condensates around black holes



Detectors:	PTAs	LISA	Decigo	LIGO/Virgo/KAGRA/3G	
Frequencies:	nHz	mHz	dHz	10Hz - kHz	
$M (M_\odot)$:	10^{10}	10^6	10^3	50	5
μ_S (eV):	10^{-21}	10^{-17}	10^{-14}	10^{-12}	10^{-11}

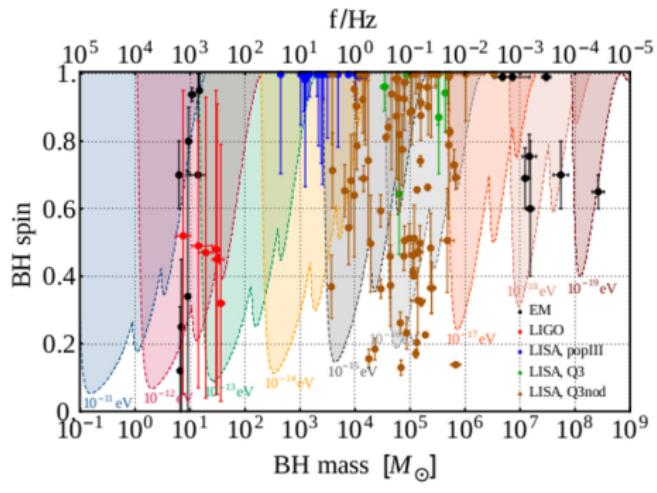
- QCD axion, axion-like particles as dark matter candidates, string axiverse
(Peccei & Quinn '77, Arvanitaki & Dubovsky '10, '11, Kodama & Yoshino '11, Hui et al '16, Baumann et al '18, '19, ...)
- Any ultra-light bosonic field coupled to gravity
⇒ black holes as probe for BSM particles complementary to traditional colliders

(Press & Teukolsky '72; Damour et al '76; Detweiler '80; Zouros & Eardley '79; Cardoso et al '05; Dolan '07; Rosa & Dolan '11; Pani et al '12; HW et al '12; Dolan '12; Shlapentokh-Rothman '14; Okawa, HW et al '14; Brito et al '15; Zilhao, HW et al '15; Moschidis '16; East '17, '18; Frolov et al '18; Dolan '18; Ficarra, Pani, HW '19; Baumann et al '18, '19; Herdeiro et al '19; Siemonsen & East '19; Ghosh et al '19; Clough et al '19; Hui et al '19; Creci, Vandoren, HW '20; Bamber et al '20, '21; Chia '20; Baryakhtar et al '21, ...)

Example: Black holes as cosmic particle detectors

Observable signatures:

- gaps in spin–mass phase space of black hole population
(Arvanitaki et al '09, '10; Pani et al '12; Brito et al '15-'20; Ficarra et al '18; ...)
- gravitational waves with $f_{22} \sim 20 \left[\frac{M}{M_\odot} \right]^{-1}$ kHz
(Arvanitaki et al '14; Yoshino et al '13; Okawa, HW, Cardoso '14; Zilhão, HW '15, East et al '17-'20)
- black hole shadow (Herdeiro et al '19; Creci, Vandoren, HW '20,...)



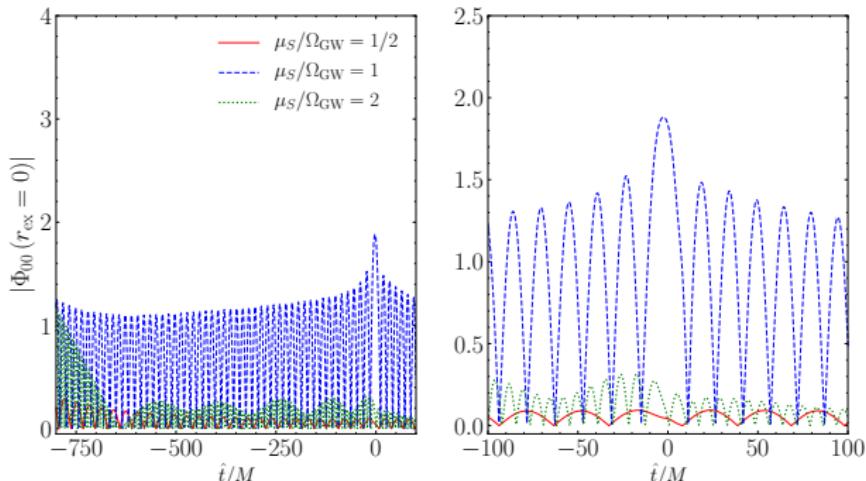
(Brito, Ghosh et al '17)

(For binaries: Baumann et al '18 – '20, Wong et al '19, '20, Hang & Zhang '19, Berti et al '19, Annunzi et al '20, Ikeda et al '20, Choudhary et al '20, ...)

Example: Black hole binaries in dark matter cloud

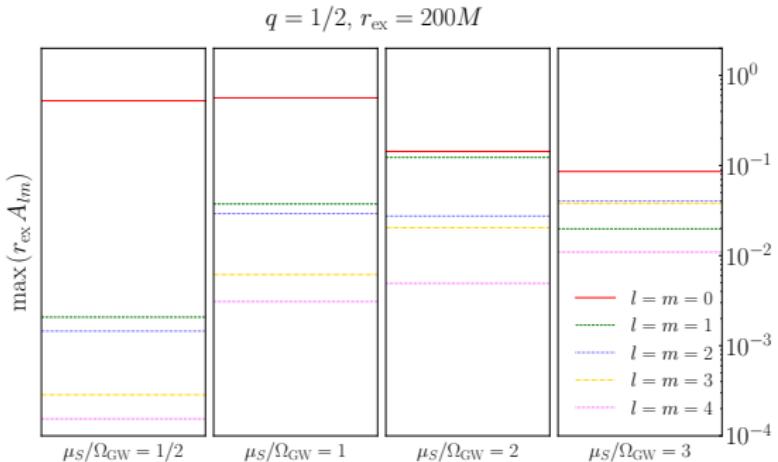
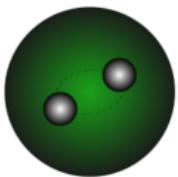
[G. Ficarra, R. Luna, R. Emparan, HW , in prep.]

- implemented in EINSTEIN TOOLKIT & CANUDA
(Witek, Zilhão, Elley, Ficarra, Silva '20)
- vary ratio μ_S/Ω_{GW} and BH mass ratio
- resonance at merger if $\mu_S/\Omega_{\text{GW}} = 1$



Example: Black hole binaries in dark matter cloud

[G. Ficarra, R. Luna, R. Emparan, HW , in prep.]



- “stirring” by BH binary \Rightarrow excite higher multipoles
- impact of gravitational radiation? Work in progress, so stay tuned!

Signatures of beyond-GR theories?

Example: quadratic gravity

- higher curvature corrections
relevant in strong-curvature regime
- low-energy limit of some string theories
(Gross & Sloan '87, Kanti et al '95, Moura & Schiappa 06)
- compactification of Lovelock gravity
(Charmousis '14)



Example: Scalar Gauss–Bonnet gravity

Action

$$S = \frac{1}{16\pi} \int d^4x \sqrt{-g} \left(R + \frac{\alpha_{\text{GB}}}{4} f(\Phi) \mathcal{G} - \frac{1}{2} (\nabla\Phi)^2 \right)$$

- Gauss–Bonnet invariant: $\mathcal{G} = R_{abcd}R^{abcd} - 4R_{ab}R^{ab} + R^2$
- Coupling function $f(\Phi)$ selects subclass (Antoniou et al'17)
- Scalar field equation:

$$\square\Phi = -\frac{\alpha_{\text{GB}}}{4} f'(\Phi) \mathcal{G}$$

Type I:

- $f'(\Phi_0) \neq 0$
- E.g.: $f \sim \Phi$, $f \sim \exp(\Phi)$
- hairy black holes

Type II:

- $f'(\Phi_0) = 0$
- E.g.: $f \sim \Phi^2$, $f \sim \exp(\Phi^2)$
- spontaneous scalarization

Example: Scalar Gauss–Bonnet gravity

Action

$$S = \frac{1}{16\pi} \int d^4x \sqrt{-g} \left(R + \frac{\alpha_{\text{GB}}}{4} f(\Phi) \mathcal{G} - \frac{1}{2} (\nabla\Phi)^2 \right)$$

- Gauss–Bonnet invariant: $\mathcal{G} = R_{abcd}R^{abcd} - 4R_{ab}R^{ab} + R^2$
- Coupling function $f(\Phi)$ selects subclass (Antoniou et al'17)
- Scalar field equation:

$$\square\Phi = -\frac{\alpha_{\text{GB}}}{4} f'(\Phi) \mathcal{G}$$

Type I:

- $f'(\Phi_0) \neq 0$
- E.g.: $f \sim \Phi$, $f \sim \exp(\Phi)$
- hairy black holes

Type II:

- $f'(\Phi_0) = 0$
- E.g.: $f \sim \Phi^2$, $f \sim \exp(\Phi^2)$
- spontaneous scalarization

Example: Scalar Gauss–Bonnet gravity

Action

$$S = \frac{1}{16\pi} \int d^4x \sqrt{-g} \left(R + \frac{\alpha_{\text{GB}}}{4} f(\Phi) \mathcal{G} - \frac{1}{2} (\nabla\Phi)^2 \right)$$

- Gauss–Bonnet invariant: $\mathcal{G} = R_{abcd}R^{abcd} - 4R_{ab}R^{ab} + R^2$
- Coupling function $f(\Phi)$ selects subclass (Antoniou et al'17)
- Scalar field equation:

$$\square\Phi = -\frac{\alpha_{\text{GB}}}{4} f'(\Phi) \mathcal{G}$$

Type I:

- $f'(\Phi_0) \neq 0$
- E.g.: $f \sim \Phi$, $f \sim \exp(\Phi)$
- hairy black holes

Type II:

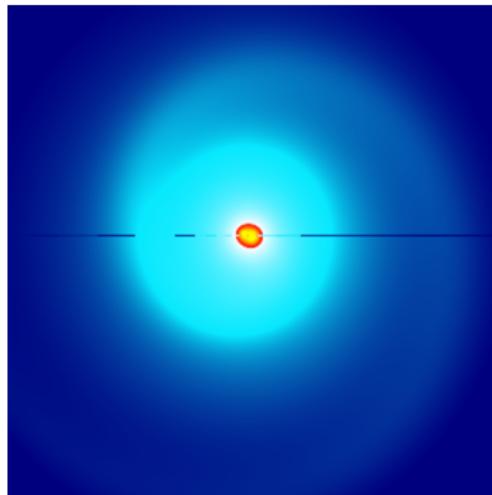
- $f'(\Phi_0) = 0$
- E.g.: $f \sim \Phi^2$, $f \sim \exp(\Phi^2)$
- spontaneous scalarization

Example: Scalar Gauss–Bonnet gravity – Type I

- Black holes **always** have scalar hair (Kanti et al '95, Torii et al '96, Pani et al '09, '11, Yunes & Stein '11, Sotiriou & Zhou '14, Ayzenberg & Yunes '14, Maselli et al '15, Blázquez-Salcedo et al '16, '17, Pierini & Gualtieri '21, Owen et al '21, Kleihaus et al '11, '15, Benkel et al '16, Witek et al '18, Ripley & Pretorius '19, ...)
- Binaries of hairy black hole \Rightarrow scalar dipole radiation
- Implemented in EINSTEIN TOOLKIT & CANUDA
<https://bitbucket.org/canuda/> (Witek, Zilhão, Elley, Ficarra, Silva '20)



einstein toolkit.org
CANUDA

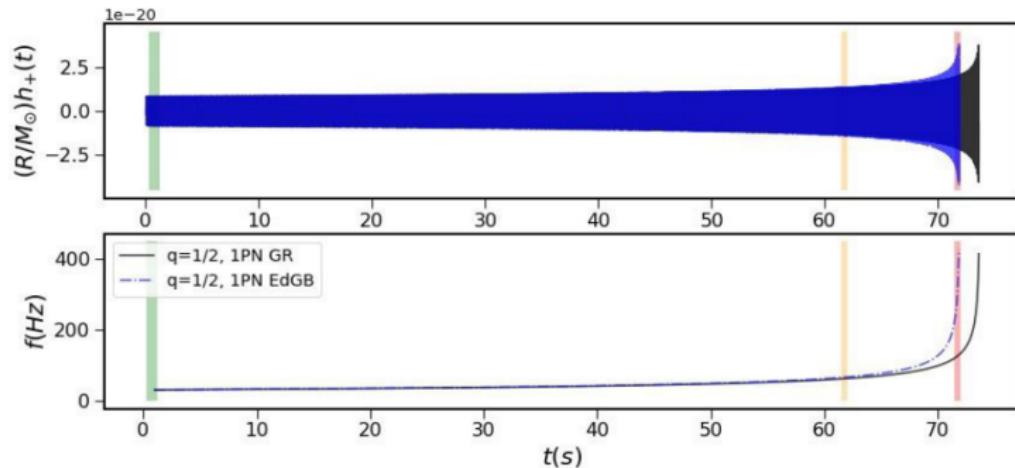


(Binary with $q = 1/2$, $M = 1$, decoupling) (HW, Gualtieri, Pani, Sotiriou '19)

(Recent progress of NR in quadratic gravity: sGB: Witek et al '18, '20; Okounkova '20; East & Ripley '20; dCS: Okounkova et al '17 - '19)

Example: Scalar Gauss–Bonnet gravity – Type I

- Energy fluxes from post-Newtonian approach for small $\alpha_{\text{GB}}/M^2 \ll 1$ (Yagi et al '11)
- Two-body Lagrangian and sensitivities up to $\mathcal{O}((\alpha_{\text{GB}}/M^2)^4)$ (Julié & Berti '19)
- **Gravitational waveforms** for general coupling (Shiralilou et al '20)



(Binary with $q = 1/2$, $M = 15M_\odot$, $\alpha_{\text{GB}}/M^2 = 0.03$)

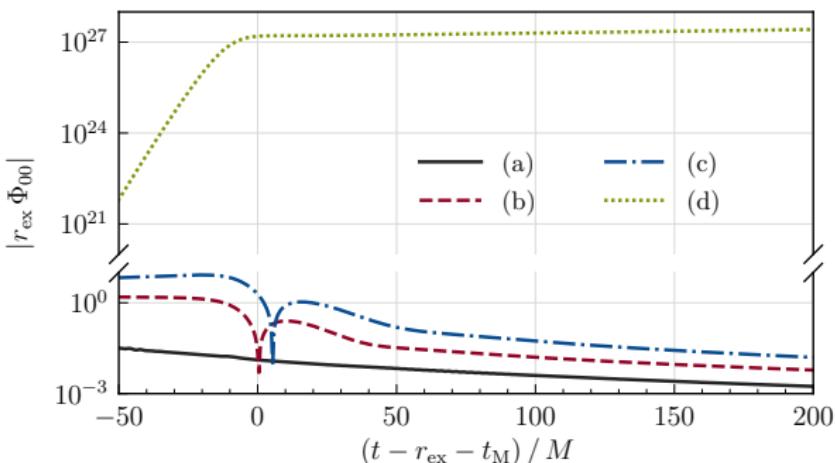
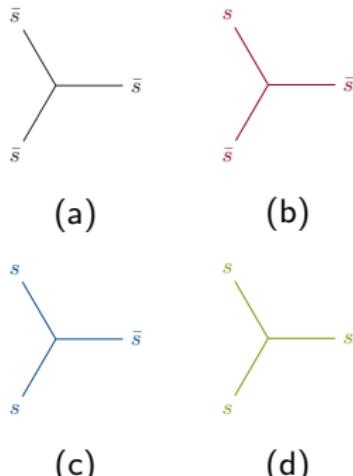
[Shiralilou, Hinderer, Nissanke, Ortiz, **HW** [arXiv:2012.09162]]

Example: Scalar Gauss–Bonnet gravity – Type II

- spontaneously scalarized black holes (Silva et al '17, Doneva et al '17, ...)
- Evolution of scalarized BH binaries @ decoupling (Silva et al '20; see also: Annunzi '21, East & Ripley '21)
- remain scalarized or **dynamical descalarization**



einstein toolkit.org
CANUDA

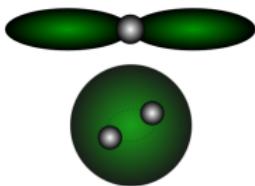


[Silva, HW , Elley, Yunes [arXiv:2012.10436]]
Website: <https://bhscalarization.bitbucket.io/>

Summary and Outlook

Black holes, neutron stars and gravitational waves as “gravity detectives”

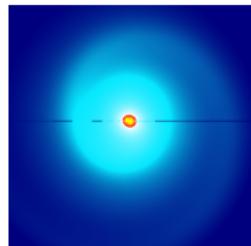
Part 1: Black hole (binaries) as cosmic particle detectors



- resonances during (early) inspiral
(Baumann et al '18-'20, Berti et al '19; Yang & Zhang '19)
- @ merger: resonance if $\mu_S \Omega_{\text{GW}} \sim 1$,
excitation of higher (scalar) multipoles (Ficarra et al, in prep.)
- Ongoing: nonlinear evolution: expect GW phase-shift

Part 2: Scalar Gauss–Bonnet (quadratic) gravity

- pre-merger: gravitational wave phase shift
- observational bound $\sqrt{\alpha_{\text{GB}}} \lesssim 1.7 \text{ km}$
(Yagi '12, Nair et al '19, Wang et al '21, Perkins et al '21)
- New phenomenon: *dynamical descalarization*
(unconstrained!)



Thank you!



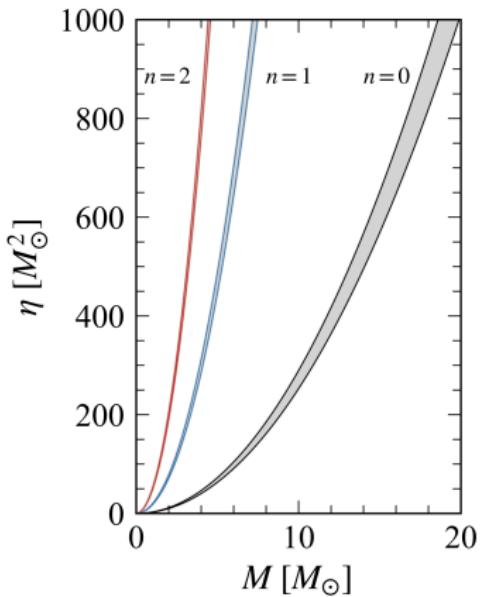
Example: Scalar Gauss–Bonnet gravity – Type II

- Coupling function $f'(\Phi) \sim \Phi^2$
- Scalar field equation

$$0 = \square\Phi + \frac{\eta}{4}f'(\Phi_0)\mathcal{G} = (\square - m_{\text{eff}}^2)\Phi$$

- GR solutions exist if $f'(\Phi_0) = 0$
- Kerr solution is unique iff $m_{\text{eff}}^2 \sim -f''(\Phi)\mathcal{G} > 0$
- tachyonic instability if $m_{\text{eff}}^2 \sim -f''\mathcal{G} < 0$
⇒ spontaneous scalarization of black holes

Phase-space of nonlinear solutions



(Silva et al '17)

(Silva et al '17, Doneva et al '17, Antoniou et al '17, Macedo et al '19, Collodel et al '19, Ripley & Pretorius '20, Doneva & Yazadjiev '21)

(Stability of scalarized black holes: Silva et al '19, Blázquez-Salcedo et al '18-'20)

(Spin-induced scalarization: Dima et al '20, Hod '20, Doneva et al '20, Herdeiro et al '20, Berti et al '20)

(Spontaneous vectorization: Barton et al '21) (Scalarization in dCS: Doneva et al '20-'21)

On hairy black holes in scalar GB gravity

Proving hairy-ness in shift-symmetric Horndeski gravity – an outline

(Hui & Nicolis '12; Sotiriou & Zhou '13, '14, Maselli et al '15)

- consider vacuum, static, spherically symmetric, asymptotically flat spacetimes

$$ds^2 = A(r)dt^2 + B(r)^{-1}dr^2 + r^2d\Omega^2$$

- shift-symmetry $\Phi \rightarrow \Phi + c \Rightarrow \exists$ conserved current $\nabla_a J^a = 0$

① assume $\Phi = \Phi(r) \rightarrow$ only $J^r \neq 0$

② regularity of norm $J^a J_a = \frac{(J^r)^2}{B} @ r = r_h$ and $B|_{r_h} = 0$
 $\Rightarrow J^r|_{r_h} = 0$

③ conservation eq. $\nabla_a J^a = \partial_r J^r + 2\frac{J^r}{r} = 0 \Rightarrow J^r r^2 = c$
(ii) implies $c = 0 \Rightarrow J^r = 0 \quad \forall r$

④ schematically $J^r = B\Phi' F(g, g', g'', \Phi')$ (Hui & Nicolis '12)

- asymptotic flatness implies $\lim_{r \rightarrow \infty} B = 1, \lim_{r \rightarrow \infty} \Phi' = 0, F = k \neq 0$
- if $\Phi' \neq 0$ for r finite: contradiction to $J^r = 0 \Rightarrow \Phi' = 0 \quad \forall r$
 $\Rightarrow \Phi = \Phi_0 = 0$

⑤ loophole in sGB: (Sotiriou & Zhou '13, '14)

- then $J^r = -B\Phi' - 4\alpha_{\text{GB}} \frac{A'}{A} \frac{B(B-1)}{r^2} = 0 \Rightarrow \Phi'$ can be non-trivial
- scalar charge P depends on BH mass $M \Rightarrow$ "hair of second kind"

▶ back