Revisiting the quiet life hypothesis in banking using nonparametric techniques

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Abstract

Early studies testing the quiet life hypothesis in banking found strong evidence that banks in more concentrated markets exhibit lower cost efficiency levels. More recent studies have reexamined the issue in different contexts, with mixed results. These approaches are based on stipulating a linear relationship between market power and efficiency in banking, which might be problematic, as suggested by the literature on efficiency analysis. We explore how bank cost efficiency measures are related to market power using flexible techniques, which are more consistent with those employed to measure efficiency in the first stage of the analysis. Our study focuses on the Spanish banking industry, which has been experiencing substantial change in the last few years, combining institutions with different ownership structures and business models. Results show that the relationship varies according to the level of market power, the component of efficiency evaluated (cost, technical or allocative) and the type of banking firm (commercial bank or savings bank), suggesting that the quiet life might be a reality only for some financial institutions.

Keywords: banking, efficiency, market power, nonparametric regression

JEL Classification: C14, C61, G21, L50

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1. Introduction

Over the last twenty years, the changes and challenges faced by most banking industries worldwide have prompted a remarkable interest in analyzing several industrial organization topics in banking. Indeed, as suggested by Rhoades (1997), during the past fifteen years or so there had been more industrial organization (IO)-related research in banking than many students of IO might expect. Some of the industrial organization topics more profoundly examined in the banking literature relate to the structure-conduct-performance (SCP) paradigm (Bain 1956), and the ensuing efficient-structure (ES) hypothesis (Demsetz 1973). As reviewed by Berger et al. (2004), the early 1990s empirical banking studies analyzing the effects of concentration and competition were particularly concerned about whether the traditional SCP paradigm held for the U.S. banking industry. Although this literature is large, and despite the difficulties of summarizing results, most studies found that banks in more concentrated local markets—as measured by the Herfindal-Hirschman Index (HII), or \( n \)-firm concentration ratio (CR\( n \))—charged higher rates on loans, and paid lower rates on retail deposits (Berger and Hannan 1989; Hannan 1991).

Although most findings were consistent with the exercise of market power under the SCP hypothesis (Hannan and Berger 1991; Neumark and Sharpe 1992), it was not unusual to obtain weak relationships between concentration and profitability when firms’ market shares were included in the regressions. Therefore, paralleling the making in the industrial organization literature, some studies aimed to analyze the validity of the ES hypothesis in banking—according to which high concentration endogenously reflects the market share gains of efficient firms. Typically, such studies controlled for measures of X-efficiency and scale efficiency, allowing concentration and market share to be functions of these efficiency measures (Berger 1995). As for the SCP paradigm, the empirical evidence for the ES hypothesis was also weak.

In the context of the literature that analyzes the relationship between performance, market concentration and efficiency, other papers have focused on the study of the effect of market power on managerial efficiency. In particular, the quiet life hypothesis (Hicks 1935) is considered a special case of the market power hypothesis. This hypothesis postulates that the higher market power, the lower the effort of managers to maximize operating efficiency, a negative correlation thus existing between market power and efficiency. In the empirical testing of this hypothesis, market concentration measures are traditionally used as proxy for market power (Berger and Hannan 1998). However, as stated in Maudos and Fernández de Guevara (2007), recent studies show the limitations of using market concentration measures as indicators of banking competition (Berger et al. 2004; Maudos and Fernández de Guevara 2004; Fernández de Guevara et al. 2005; Claessens and Laeven 2004; Claessens and Laeven 2005). Therefore, they propose to use other indicators of competition such as the H-statistics (Panzar and Rosse
Our study analyzes the relationship between market power and efficiency considering an alternative to the traditional means used to evaluate the validity of either the SCP or ES hypotheses. Specifically, we employ nonparametric methods which are highly appropriate when a theory is lacking to evaluate the associations between two variables. Although theories are well established in our case, the mixed empirical evidence suggests they might be more difficult to test than one *a priori* might expect. Earlier initiatives, such as Clark (1986), considered similar issues, arguing that tests of the structure-performance paradigm yielded quantitatively small statistical significance because of the methodology employed. However, in contrast to a less restrictive nonparametric approach, his analysis was entirely confined to the parametric field, therefore disallowing more flexible interpretations of the relationship. Some recent contributions have also dealt with the quiet life hypothesis and related issues, among which we can highlight the papers by Koetter *et al.* (2012), Delis and Tzionas (2009), Casu and Girardone (2006, 2009), and Turk Ariss (2010). Although their objectives are not exactly coincidental with those of Clark (1986), they do neither consider flexible techniques to examine the links between efficiency and market power like we do.

Actually, the issue as to how a given set of covariates influences the efficiencies obtained in the first stage of the analysis (which is what the test of the quiet life does when examining how market power impacts on efficiency) has not been properly addressed in banking. As indicated by Simar and Wilson (2007, 2011), most of this literature, usually referred to as “second-stage regressions” has been considering nonparametric methods such as Data Envelopment Analysis (DEA) in the first stage of the analysis and either ordinary least squares (OLS) or tobit regression in the second stage, relying on conventional methods for inference. This is problematic for a number of reasons, such as the correlation of DEA efficiency scores. In the particular case of the analysis of the quiet life hypothesis in banking, where the relationship between efficiency scores and market power is examined, the empirical evidence taking the severity of these issues into account is entirely yet to come. Our proposal follows the suggestions by Balaguer-Coll *et al.* (2007) and Illueca *et al.* (2009), who combined the use of efficiency scores obtained in the first stage with flexible techniques (nonparametric regression and conditional density estimation, respectively).

Our analysis is focused on the Spanish banking system. It is one of the five largest banking systems in Europe. It offers a scenario where profound changes took place some years ago imposed by the Single Market Program of the European Community: important deregulations such as interest rate deregulation, total removal of legal coefficients, legal homogenization of both commercial and savings banks, free entry for European Union banks—as long as they meet European Union legislation—, removal of the restrictions on the geographical expansion.
of savings banks, implementation of new telecommunications technologies, etc. In order to achieve a full economic and monetary integration with the creation of the euro currency union in 1999, the higher competitive pressures—and the reduction of market power—would impel financial institutions to make an extra effort to enhance efficiency. In fact, the advance in the degree of financial integration in Europe that has taken place after the introduction of the euro has been accompanied by increasing internationalization and openness of the Spanish banking sector, as well as an increasing importance of the cross-border activity. In this context of increased competition, Spanish banks experienced an improvement in their efficiency levels (Maudos and Fernández de Guevara 2008).

The analysis of the Spanish banking sector has an additional attractive feature. The fact that in Spain there are financial institutions with different ownership structures, corporate governance and business models enables us to analyze whether the relationship between market power and efficiency varies with the type of bank. Specifically, in Spain there are three types of deposit institutions, private commercial banks, savings banks and credit co-operative banks, although we focus on the first two as the credit co-operatives have a marginal market share (only 4% in terms of total assets).

The study proceeds as follows. The next section surveys the literature of the relationship between efficiency and competition. Section 3 presents the methodology used to measure market power and efficiency, emphasizing the relevance of focusing on cost efficiency and its technical and allocative components, introducing both the method and results on market power and efficiency separately. Section 4 describes the data and the specification of banking inputs and outputs. Section 5 presents the results. Finally, Section 6 concludes.

2. The relationship between efficiency and competition: the quiet life hypothesis

As it is mentioned in Maudos and Fernández de Guevara (2007), the literature on the relationship between competition and efficiency is related to the hypothesis that explains the relationship between market structure, efficiency and performance. According to the traditional SCP paradigm referred to in the previous section, firms in markets with higher concentration are able to earn extra profits as the result of collusion between the firms in the industry. Thus, this hypothesis postulates a positive relationship between performance and concentration, assuming that the higher the market concentration, the higher the firms’ market power.

An alternative hypothesis establishes that the positive correlation between profitability and market concentration is spurious and simply proxies for the relationship between superior efficiency, gains in market share and, consequently, higher concentration. According to this ES hypothesis (Demsetz 1973) also referred to in the introduction, the effect of concentration on profitability vanishes once a proxy variable for efficiency is introduced as explanatory variable.
In this context, the quiet life hypothesis focuses on the effect of market power on efficiency. This hypothesis postulates that the higher the market power, the lower the effort of managers to maximize efficiency, a negative correlation thus existing between market power and managerial efficiency.

There are several reasons that can justify a positive relationship between higher levels of market power and lower efficiency levels (Berger and Hannan 1998). First, if firms can charge prices in excess to competitive levels, managers do not have incentives to work as hard to keep costs under control, enjoying a “quiet life”. Second, market power may allow managers to pursue objectives other than revenue/profit maximization. Third, in a non-competitive environment, managers devote resources to obtaining and maintaining market power which raises cost and reduces cost efficiency. Finally, market power allows inefficient managers’ behavior to persist without any intention to pursue goals other than maximizing firm value.

In contrast to the views supporting the quiet life, there are alternative explanations advocating for the rejection of this hypothesis in the specific case of the banking industry. Taking into account the specific characteristics of banks, this type of firms can reduce problems inherent to them (such as asymmetric information, problems of adverse selection and moral hazard, etc.) by establishing long-term relationships with clients. As indicated by the literature on relationship banking (Petersen and Rajan 1995), banks with market power have lower costs of monitoring and transactions with borrowers. Under such circumstances, a positive relationship between market power and cost efficiency would emerge. Banks with market power may have cost advantages in screening certain groups of borrowers. In addition, market power allows banks to enjoy greater profits, which may create incentives to behave prudently, this behavior leading to the selection of less risky activities with lower monitoring costs. Finally, banks with market power are under less pressure to increase the quality of banking services, decreasing consequently the operating costs.

Although the relationship between profitability, market concentration and efficiency of the banking industry has been tested in an important number of papers, the available empirical evidence on the quiet life hypothesis is scarcer. However, in the last few years there is a renewed interest in analyzing the links between efficiency and market power. After reviewing this recent literature one may conclude that the empirical evidence is not conclusive—i.e., it is mixed.

The recent available evidence is relatively ample. Berger and Hannan’s (1998) results are consistent with the quiet life hypothesis as a negative relationship between cost efficiency and market power (proxied by market concentration) is found for the U.S. banking industry. For a sample of developing countries, Turk Ariss’s (2010) results also support the quiet life hypothesis, considering that banks with more market power (proxied by the Lerner index) are also the least cost efficient. However, according to her, one should be cautious about this result, if
we consider that it is likely that the higher costs associated with market power are eventually channeled to bank clients which, in turn, may feed into higher prices and possibly boost bank profit efficiency. Similarly, Delis and Tsionas (2009), using a panel of EMU banks, report a negative relationship between cost efficiency and market power. Similar results were found by Coccorese and Pellecchia (2010), whose results support the quiet life in the context of Italian banking, although the impact of market power on efficiency was not particularly remarkable in magnitude.

On the contrary, the contributions by Maudos and Fernández de Guevara (2007), Koetter et al. (2012), Fu and Heffernan (2009) and Casu and Girardone (2009) reject the quiet life hypothesis. The first of these papers analyzes the relationship between market power (measured by the Lerner index) and cost efficiency for the EU-15 banking sector. Koetter et al. (2012) derive efficiency-adjusted Lerner indices for the U.S. bank holding companies. They conclude that the evidence on the relationship between competition and both cost and profit efficiency clearly rejects the quiet life hypothesis. Casu and Girardone (2009) find positive causation between market power (proxied by the Lerner index) and efficiency for five EU banking sectors. Finally, for the Chinese banking system, Fu and Heffernan (2009) do not find evidence to support the quiet life hypothesis, although a drawback of this paper (as in Berger and Hannan’s) is that they use market concentration as proxy variable for market power.

3. Methodology

3.1. The measurement of market power

There are basically two methodologies to measure the degree of competition in the banking industry. The first one is the structural approach that stems from the traditional SCP paradigm referred to above and that uses market concentration indices as proxy variable for market power under the assumption that the higher the market concentration, the higher the market power. The second one is the so-called “New Empirical Industrial Organization” (NEIO) approach which relies on non-structural models that infer market power from the observation of banks’ conduct. Under this approach, competition measures are developed from theory of the firm models under equilibrium conditions and typically use some form of price mark-up over a competitive benchmark. In the Lerner index,\(^1\) it is the mark-up of price over marginal cost and the divergence of price from perceived marginal revenue for the Bresnahan’s measure (Bresnahan 1989). The higher the mark-up, the greater the market power. An alternative

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\(^1\)The estimation of the Lerner index in banking has been applied in the studies by Angelini and Cetorelli (2003), Fernández de Guevara et al. (2005), Maudos and Fernández de Guevara (2004, 2007), Fernández de Guevara et al. (2007), Carbó-Valverde et al. (2003), and Carbó-Valverde et al. (2009), among others.
approach, developed by Panzar and Rosse (1987)—the so-called H-statistic\(^2\)—focuses on the degree to which changes in the input prices leads to subsequent changes in revenues provided that the industry in a long-run equilibrium.

As mentioned before, some contributions have shown the limitations of proxying bank competition intensity with concentration measures, pointing to the need of using alternative indicators. For this reason, we use a competition indicator from the new empirical industrial organization approach: the Lerner index.

The Lerner index measures the capacity to set interest rates above marginal costs as a proportion of prices. This market power indicator is usually derived from the Monti-Klein model (Freixas and Rochet 1997) and has been empirically approached in several papers cited above. As we interested in getting an aggregate measure of market power for the whole banking activity, we use the total assets of each bank as our proxy for banking output. With this approximation, the Lerner index is defined as the ratio “(price of total assets-marginal costs of total assets)/price”. The price of total assets is computed from bank-level data as the ratio of bank revenue/total assets. Marginal costs are estimated from a translog cost function with a single output (total assets) and three inputs (deposits, labor and physical capital). As a panel data set is available, the estimation of the cost function includes individual fixed effects and time effects, which allows to control for the effect of macroeconomic variables such as GDP growth and inflation rate.

3.2. The measurement of efficiency

Efficiency may be measured via a variety of methods. They fall under the broad categories of parametric and nonparametric methods. Several monographs provide accurate descriptions of the available methods (Fried et al. 2008). However, some relatively recent monographs lean towards either parametric or nonparametric methods. Some findings showing that results may differ greatly between parametric or nonparametric techniques might have deterred publication of new monographs describing both approaches. On this respect, the recent paper by Badunenko et al. (2012) provides an explicit comparison of SFA and DEA estimators.

In addition to this, the evolution of parametric and nonparametric techniques has not been entirely equal. Up to the early nineties, both groups of techniques went through relevant progress,\(^3\) but some of the most recent proposals have leaned towards the nonparametric field. Cazals et al. (2002) present a nonparametric estimator (order-\(m\)) which is more robust to extreme

\(^2\)There is also an extensive literature that has been considering the Panzar and Rosse (1987) H-statistic. See for example, Bikker and Groeneveld (2000), De Bandt and Davis (2000), Claessens and Laeven (2004), among others.

\(^3\)The paper by Berger and Humphrey (1997) surveyed 130 articles applying frontier efficiency analysis to financial institutions in 21 countries, which considered either parametric or nonparametric techniques in similar proportions. Fethi and Pasiouras (2009) provide a more updated survey of this literature, although confined entirely to the nonparametric case.
values than DEA (Data Envelopment Analysis) or FDH (Free Disposable Hull), similarly to the order-α estimator introduced by Aragon et al. (2005).

However, prices do enter the analysis using any of these new methods, and some of them carry difficulties in handling multiple outputs and multiple inputs. Yet in banking the availability of prices, and the multiple-input/multiple-output nature of the banking firms suggests previous nonparametric methods (such as DEA) may still be more advisable—at least until further progress is made in the aforementioned new fields of research. In addition, both the order-\(m\) and order-\(\alpha\) estimators, although presenting some relevant advantages with respect to DEA or FDH, have also certain limitations partly derived from the need to specify the \(m\) (in the case of order-\(m\)) and \(\alpha\) (in the case of order-\(\alpha\)) parameters, which may be involved.

Therefore, the set of activity analysis techniques presented and revised in Färe and Grosskopf (2004) is our reference for measuring efficiency. Let \(x = (x_1, \ldots, x_N) \in \mathbb{R}_+^N\) be the input quantities, with associated prices \(\omega = (\omega_1, \ldots, \omega_N) \in \mathbb{R}_+^N\), and \(y = (y_1, \ldots, y_M) \in \mathbb{R}_+^M\) be the output quantities. Accordingly, total costs will be defined as \(\omega x = \sum_{n=1}^{N} \omega_n x_n\). It is important to note that we are assuming both input and output quantities are divisible and, more importantly, both the costs and revenues they generate, respectively, are divisible as well. This is a critical issue in banking, since information disaggregated enough is not always available.

Technology is defined as

\[
T = \{(x, y) : x \text{ can produce } y\},
\]

and input requirement and output sets are defined as

\[
L(y) = \{x : (x, y) \in T\}, y \in \mathbb{R}_+^M,
\]

and

\[
P(x) = \{y : (x, y) \in T\}, x \in \mathbb{R}_+^N,
\]

respectively.

If \(x^*_s\) and \(y^*_s\) is the optimal input vector for firm \(s\), \(s = 1, \ldots, S\), cost efficiency indexes will be defined as \(CE_s = \omega^*_s x^*_s / \omega^*_s x_s\). The indexes will be bounded by unity from above, i.e., efficient firms will be those with efficiency scores equal to one—or 100, if results were expressed as percentages.

Optimal values are found by solving linear programming problem. For cost efficiency, the
linear programming problem (where \(X\) and \(Y\) are observed data) for each \(s\) firm is as follows:

\[
\begin{align*}
\min_{\lambda, x_s^*} & \quad \omega'_s x_s^* \\
\text{s.t.} & \quad -y_s + Y^* \lambda \geq 0, \\
& \quad x_s^* - X^* \lambda \geq 0, \\
& \quad 1^\prime \lambda = 1, \\
& \quad \lambda \geq 0.
\end{align*}
\]

(4)

3.3. Modeling the links between efficiency and market power

OLS regressions assume the dependent variable of interest to be Gaussian distributed. But in our case, in which efficiency scores are bounded at unity, this assumption is clearly not met. The dependent variable must also be independently distributed. However, our efficiency scores are obtained using linear programming techniques and, therefore, this assumption is also violated, since firms’ efficiencies are dependent in the statistical sense. This point has been forcefully made by Simar and Wilson (2007), who provide a valid alternative to these problems. See also the recent update by Simar and Wilson (2011).

The severity of this problem in the context of testing the quiet life hypothesis has been acknowledged by Koetter et al. (2012), who coincides in stressing how problematic it is to conditioning competition measures on banks’ efficiency estimates obtained using frontier techniques—i.e., second-stage regressions using efficiency for the dependent variable lead to inconsistent and biased results.

The arguments in the previous paragraph would suffice per se to discard testing the quiet life considering OLS, or any of its variants—when efficiency scores have been obtained using linear programming techniques. In addition to this, the difficulties that the (scarce) previous empirical studies might have faced in testing the quiet life may relate to the fact that they use regression techniques which focus on the average effect for the average bank. However, as indicated by Reichstein et al. (2010), there are cases in which “the devil might dwell in the tails”, i.e. the sign and significance of a given coefficient might be driven by the behavior of few firms. Therefore, under some circumstances OLS is not the most appropriate method, and more flexible alternatives which consider the entire distributions of efficiencies, the dependency structures among efficiency scores (in the statistical sense), and the way they relate to market power, are better.

In addition to the rationale provided above, although using linear models may generally represent a valid alternative, sometimes their choice entails a fair preliminary approach and can be very restrictive, leading to departures from reality. Indeed, in econometrics, the assumption of statistical adequacy, or correct model specification has often constituted an important concern, and functional forms misspecified may lead to invalid tests for the hypotheses under
discussion (i.e., the so-called “parametric straitjacket”). There are circumstances in which transformations and/or quadratic terms can be used to handle nonlinearities, but it should be kept in mind that their use can require a good deal of expertise and time. Therefore, it remains an open question as to why more flexible methods—such as nonparametric regression—are still far from overused by economists, despite the recent (and not so recent) advances in this field by both the statistics and econometrics’ literatures (DiNardo and Tobias 2001).

Nonparametric regression allows us to understand how some variable of interest, in our case the efficiency (Y or, in our particular setting, EFF) of any particular decision unit, is affected by variations in some other variable X (in our case, market power). The utmost advantage of this type of technique—compared to parametric methods such as linear or polynomial regression—is its absence of *a priori* assumptions concerning the particular functional form on the link between Y and X.

As suggested by Jennen-Steinmetz and Gasser (1988), out of the three best-known estimators of the nonparametric regression problem—smoothing splines, k-nearest neighbor estimator, and kernel estimators—the large body of theoretical results regarding asymptotic properties of these estimators has so far not solved the problem as to which method is always best and, if not, under which circumstances each method is preferable. Several comparative studies exist such as Jennen-Steinmetz and Gasser (1988) and, in an application to Engel curves estimation, see Engel and Kneip (1996). A comparison among the three most popular and easy-to-implement methods, namely, the kernel, the k-nearest neighbor, and the (cubic) spline smoothers, is performed in Härdle (1990), both in theoretical and empirical terms. Silverman (1984) has demonstrated that spline smoothing corresponds approximately to smoothing by a kernel method with bandwidth depending on the local density of design points.

The underpinnings of nonparametric regression methods can be found elsewhere, yet we provide some insights to make the exposition as self-contained as possible. For a particular data set \{(X_s, Y_s)\}_{s=1}^S, we are interested in estimating the mean response curve m:

\[ Y_s = m(X_s) + \epsilon_s, \quad s = 1, \ldots, S. \]  

(5)

It is often difficult to ascertain the particular nature of m(•), i.e., to know whether the relationship is linear, quadratic, growing in X, etc. In such cases nonparametric regression advantages turn out to be especially relevant.

We use a particular variant of nonparametric regression, namely, smoothing splines, which

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4Some recent and not-so-recent monographs cover this topic; see, for instance, Li and Racine (2007).

5In addition, although many different methods have been proposed to construct nonparametric estimates of a smooth regression function, the attention devoted to the different smoothing methods has not been great. Among them, the kernel, k-nearest neighbor (k − NN), orthogonal series and spline estimators have received far more attention than some others such as recursive techniques, the regressogram, convolution smoothing, median smoothing, split linear fits or empirical regression which notwithstanding represent satisfactory choices in some specific cases.
provide a seamless link with semiparametric approaches to regression. Other studies such as Bao and Wan (2004) have used this alternative, considering that in some circumstances the underlying theories are not capable of conveying sufficient information to enable a correct and successful specification of parametric models. The penalized (or $p$-splines) variant to smoothing splines (Ruppert and Carroll 2000) introduces a penalty to control for possible spatial heterogeneity in the regression function. Similarly to kernel regression, $m$ in Equation (5) is assumed to be a smooth function equal to the conditional mean of $y_s$ given $x_s$, which is estimated using a regression spline model:

$$
\hat{m}(x; \beta) = \beta_0 + \beta_1 x + \ldots + \beta_p x^p + \sum_{k=1}^{K} \beta_{p+k}(x - \kappa_k)^p.
$$

(6)

Splines are essentially piecewise polynomials whose different polynomial segments are tied together at a series of knots in a way that insures certain continuity properties (Bao and Wan 2004). In Equation (6) the knots are represented by $\kappa_1, \kappa_2, \ldots, \kappa_K$, whereas $p \geq 1$ is an integer, $\beta = (\beta_0, \ldots, \beta_p, \beta_{p+1}, \ldots, \beta_{p+K})^T$, with $\beta_p$ the coefficient of the $p^{th}$ knot, is a vector of regression coefficients, and $(u)^p_+ = u^p I(u \geq 0)$. Since the number of knots determines whether the fit may be too rough, or too smooth (too many knots yield quite a rough fit), it may be relevant to constrain their influence. Penalized spline regression provides means for doing so, hoping to result into a less variable fit.

Equation (6) represents a spline model of general degree (i.e., a $p^{th}$-degree spline) in which, using truncated power functions, the basis is:

$$1, x, \ldots, x^p, (x - \kappa_1)^p, \ldots, (x - \kappa_k)^p,$$

which is known as the truncated power basis of degree $p$. When $p$ is odd, a set of basis functions spanning the space of $p^{th}$-degree polynomials with knots at $\kappa_1, \ldots, \kappa_K$ is

$$1, x, \ldots, x^p, |x - \kappa_1|^p, \ldots, |x - \kappa_k|^p.$$

Smoothing splines have a natural representation in terms of this type of functions, sometimes called radial basis functions. Specifically, we consider the cubic smoothing spline:

$$
\hat{m}(x; \beta) = \beta_0 + \beta_1 x + \sum_{k=1}^{K} \beta_{1k} |x - \kappa_k|^3
$$

(7)

where $\hat{\beta}_0, \hat{\beta}_1$ and $\hat{\beta}_{11}, \ldots, \hat{\beta}_{1K}$ minimize

$$
||y - X_0 \beta_0 - X_1 \beta_1||^2 + \lambda^3 \beta_1^T K \beta_1
$$

(8)
for some $\lambda \geq 0$, subject to
\[ X_0^\top \beta_1 = 0, \]  
where $\beta_0 \equiv [\beta_0, \beta_1]^\top$, $\beta_1 = [\beta_{11}, \ldots, \beta_{1K}]^\top$, $X_0 = [1, x_i]_{1 \leq i \leq n}$, and:
\[ X_1 = [|x_i - \kappa_k|^3], \quad K = [|\kappa_k - \kappa_{k'}|^3]. \]

This is accomplished by specifying a knot sequence $\kappa_1, \ldots, \kappa_K$ using the basis functions $1, x, |x - \kappa_1|^3, \ldots, |x - \kappa_K|^3$. $\lambda$ is a smoothing parameter which controls the trade-off between smoothness, and goodness of fit to the data. The larger the value of $\gamma$, the more the data will be smoothed to produce the curve estimate. $\lambda^3 \beta_1^\top K \beta_1$ is called a roughness penalty because it penalizes fits that are too rough, thus yielding a smoother result. We have followed Ruppert et al. (2003) regarding the choice of smoothing parameter and knots’ position.

4. Data, inputs, and outputs

The Spanish banking system is made up of private commercial banks, savings banks, and credit co-operatives. For regulatory reasons, they have traditionally specialized in different lines of business. After the deregulation process that took place at the beginning of 1990s, they now face exactly the same operational regulation, which allows them to undertake the same activities. The only regulatory differences among them arise from their types of ownership, as commercial banks are privately owned, savings banks are foundations, and credit co-operatives are mutually owned. This difference is subtle, as savings banks are allowed to acquire commercial banks, but the opposite does not hold, as the former are a mix of privately- and publicly-owned companies. In contrast, due to this ownership type, savings banks have substantial difficulties in gaining equity. In fact, in the period analysed in this paper, 50% of their profits had to be dedicated to increasing reserves. However, the three types of firms are still influenced by their historical specializations, although over the last few years firms’ product mixes have varied greatly. See Crespi et al. (2004) for deeper insights on the peculiar ownership type of Spanish savings banks.

As mentioned before, we concentrate our analysis in commercial banks and savings banks, considering that cooperative banks only represent 4% of the Spanish banking sector in terms of

\footnote{The outbreak of the international financial crisis in 2007 and the subsequent economic crisis has affected many Spanish financial institutions severely, specially savings banks. This has partly occurred because of the concentration of many Spanish savings banks in the real state development and construction sector, dependence on wholesale market funding, excess capacity, small average size of institutions, loss of profitability, etc. As a result, some regulatory initiatives such as the Royal Decree-Law 9/2009 of 26 June 2009 and the Royal Decree-Law 11/2012 of 9 July 2010 have laid the legal foundations in Spain for the restructuring of the savings bank sector. According to the Bank of Spain, this restructuring was unavoidable due to the structural limitations associated with the legal nature of savings banks, such as the legal restrictions on raising high quality capital. This process of rapid change provide an extra interest to the analysis carried out here.}
total assets. The data used in the article are provided by the Spanish Confederation of Savings Banks (Confederación Española de Cajas de Ahorro, CECA) and the Spanish Association of Commercial Banks (Asociación Española de Banca, AEB). This is the only public information available for Spanish commercial and savings banks at the individual firm level. Although the Bank of Spain provides some additional disaggregated information for different balance sheet categories, it is available only for aggregated data—i.e., commercial banks and/or savings banks considered altogether. Data come from each firm’s balance sheet and profit and loss account. The overwhelming majority of firms making up the industry are considered in the study. The banks for which either missing or unreliable information (zero employees, etc.) were excluded from the study. Our sample represents more than 90% of total industry assets.

The period analyzed is 1992–2003. In 2004 there was a regulatory change so that bank public data are now published following a very different decomposition of the balance sheet items. There have been no institutional initiatives so far to provide a homogeneous database covering the years before and after 2004. We chose the pre-2004 period because it allows to include more years in the study and to analyze the impact of deregulation on market power and efficiency.

Specifying inputs and, especially, outputs, is often a controversial issue in banking. On the input side, our choice stands with most previous literature. We consider three inputs, namely, labor \((x_1)\), capital \((x_2)\) and purchased funds \((x_3)\). See Table 1 for specific definitions and summary statistics for year 2003. We can calculate prices for each input category since information on the costs they generate is also available—i.e., labor expenses, amortizations and other noninterest expenses, and financial costs, respectively. There exist three basic approaches to define bank output, namely, the asset, user cost, and value-added approach (Berger and Humphrey 1992). Most studies fall under the first category, basically due to data limitations. Many others have considered an “enlarged” version of the asset approach, considering not only that asset categories yielding revenues are to be considered outputs, but also that transaction deposits are also an output, since they may be considered a proxy for the provision of payment and safekeeping services provided by each bank. However, there is no available disaggregation for deposits, which severely restrains our choice.

Taking into account the rationale presented above, we consider banks to provide four outputs: loans \((y_1)\), fixed-income securities \((y_2)\), other securities \((y_3)\), and nontraditional output \((y_4)\). Specific descriptions for each of them, along with descriptive statistics, are provided in Table 1. Our choice is also conditional on the available information on the revenues attributable to each output category. Following Rogers (1998), we have also considered a further category, namely, nontraditional output, based on Rogers’ findings which pointed out that disregarding the new activities in which most banks engage (basically activities that provide financial ser-
vices and generate fee income) leads to biased efficiency estimates for both cost, revenue, and profit efficiency.

5. Results

5.1. Results on market power

Figure 1 displays violin plots on the evolution of market power for all banking firms, commercial banks, and savings banks. They show that market power has been increasing over time, regardless of the type of firm under analysis. However, several specificities emerge. Considering the entire banking industry (Figure 1.a), the median (the yellow circle inside each box) indicates that market power has been increasing over the sample period. However, there is still a remarkable amount of extreme behavior, as shown by the long tails, both upper and lower. Although more than 50% of banking firms have Lerner indices above 0.4 in the 2000–2003 period, this did not occur in the preceding years. However, there is a remarkable number of firms whose market power is quite low, as indicated by the longer and thinner lower tail of the distributions. In sum, although this is a hypothesis which need to be tested properly, the distribution of the Lerner index is stretching over the sample period, indicating that the new competitive and regulatory environment has had a relatively strong impact on market power.

The reasons explaining this evolution are multiple, and lie beyond the scope of this paper. However, some of them could be related to the differing trends found for commercial banks and savings banks. As indicated in Figure 1.b, there is a remarkable amount of variability for commercial banks, whose violin plots indicate that the distance between the tails of the distribution is increasing. And this is not only attributable to the behavior of the observations at both extremes of the distribution, since the central 50% of the probability mass (the “box”) has also become bigger.

In contrast, savings banks show a different pattern. In this case, distributions are much tighter, indicating that homogeneity prevails among this group of banking firms. This is a relatively surprising finding, since the deregulatory initiatives (Tortosa-Ausina et al. 2012) have enabled commercial banks and savings banks to face the same regulatory environment—they only differ in their type of ownership. However, discrepancies among savings banks in many fields (in this case, in terms of market power) are still minor.

7The violin plots combine the advantages of the box plots with density traces in one diagram, by making the width of the box proportional to estimated density. Specifically, the density traces are plotted symmetrically to the left and the right of the (vertical) box plot. Note also that there is no difference in these density traces compared to the standard densities obtained, for instance, via kernel smoothing, other than the direction in which they extend. By adding two density traces we obtain a symmetric plot, which facilitates realizing the magnitude of the density. The box inside represents the interquartile range (IQR), containing the 50% midrange values of the variable analyzed, and the horizontal line inside the box is the median. This mix of the density trace and the box plot enables quick and insightful comparison of several distributions (Hintze and Nelson 1998).
We can consider a proper test in order to elucidate whether the differences among the different types of institutions are significant or not. Table 2 provides results on the Li (1996) test in order to ascertain whether results differ according to a variety of hypotheses, namely, we test whether market power distributions differ significantly when comparing both types of firms, and when comparing the different types of firms over time—i.e., 1992 vs. 2003, for which the relevant hypotheses are $H_0: f(\cdot) = g(\cdot)$, where $f$ and $g$ represent the relevant distributions. Details on the specifics of the test are provided not only in Li (1996) but also in other applications such as Balaguer-Coll et al. (2010). In brief, it consists of comparing two distributions based on kernel methods, making no assumptions on the shape of the distributions, and focusing on their entirety rather than simple summary statistics such as ANOVA, Kruskal-Wallis or Wilcoxon and related tests do. This is important because the average may mask important trends at firm level.

Results show that differences are always significant at the 1% significant level. When comparing commercial banks and savings banks, the null hypothesis of equality of distributions ($f(Lerner_{\text{Commercial banks}}) = g(Lerner_{\text{Savings banks}})$) is strongly rejected. When comparing the distributions of the Lerner index at the initial and final sample years (1992 and 2003), although the test statistics are lower, the null hypothesis is also rejected at the usual significance levels, for all banking firms ($f(Lerner_{\text{Banking firms, 1992}}) = g(Lerner_{\text{Banking firms, 2003}})$), commercial banks ($f(Lerner_{\text{Commercial banks, 1992}}) = g(Lerner_{\text{Commercial banks, 2003}})$) and savings banks ($f(Lerner_{\text{Savings banks, 1992}}) = g(Lerner_{\text{Savings banks, 2003}})$).

### 5.2. Results on efficiency

Tables 3, 4 and 5 display results for cost, technical and allocative efficiency, respectively. Mean cost efficiency has been declining from 0.843 in 1992 to 0.698 by 1999 for all banking firms, reviving to reach 0.760 by 2003. Commercial banks were the best performers; they departed from 0.912, bottomed at 0.749 by 1999, but ended up with efficiency levels similar to those of 1992. A similar pattern is found for savings banks, yet their efficiency is substantially lower. Savings banks also bottomed earlier, declining from 0.774 to 0.625 in 1998, reaching 0.683 by the end of the sample period. Weighted values are higher in all instances, yet the inflection by the end of the nineties is mirrored. In this case, the inflection occurs earlier, suggesting that large firms could be leading in an industry characterized by rapid change.

Therefore, despite the intense regulatory initiatives, inefficiency not only persists but also increases over time. In addition, although all banking firms face the same regulation, and they can perform the same operations, cost efficiency differences, on average, are not fading away.

The decomposition of cost efficiency into their technical and allocative components is quite revealing, since the sources of inefficiency are identified. Technical efficiency (see Table 4) is
remarkable, reaching mean values close to 100% in some cases. Firms’ performances are much closer than in the cost and revenues cases, as revealed by much lower standard deviations. In contrast, allocative efficiency (Table 5), presents more instability, since it does not differ a great deal from technical efficiency at the beginning of the sample period, yet ends up being, on average, much lower. Therefore, when prices do not enter the analysis one faces an industry where most firms are close to the efficient frontier. However, when they are included, discrepancies are remarkable, driving efficiency downwards.

Although the variety of summary statistics are helpful for achieving better insights on the peculiar distributions of efficiencies, its informativeness is overshadowed by what more comprehensive, graphical based, indicators such as violin plots reveal. Violin plots on cost, technical and allocative efficiency are displayed in Figures 2, 3 and 4, respectively, for all types of banking firms. Considering the banking industry as a whole, Figure 2(a) indicates that discrepancies are important on the cost side, and they increase over time, as probability mass tends to become more spread. This points to a great variety of firm behavior. These trends are not entirely coincidental when analyzing each type of banking firm, as shown in Figures 2(b) and 2(c). On the one hand, differences among commercial banks increase rapidly, and are very high; however, there are many efficient commercial banks. On the other hand, savings banks’ behavior is much more homogeneous, although differences seem also to be growing.

The violin plots corresponding to technical and allocative efficiency (Figures 3 and 4, respectively) clearly corroborate the views provided by Tables 3, 4 and 5, indicating that the main contributor to cost inefficiency is its allocative component. This occurs regardless of the type of banking firm considered, but in the case of commercial banks technical efficiency is particularly high. However, although it has been increasing over the analyzed period, for both commercial and savings banks there are few firms which are much more inefficient than the rest, as shown by the long and thin tails.

5.3. On the causality between efficiency and market power

The links between market power and the variety of efficiency concepts considered here are explored in Figures 5–7 which show results on the links between efficiency and market power, for all cost, technical, and allocative efficiency and using penalized spline smoothing. We provide standard error bands—in particular, pointwise $\pm 2$ std. error bands—which provide a more precise view of the probability mass supporting the sign of the relationship. All estimations have been performed for the entire 1992–2003 period. Each figure contains three panels: banking firms, commercial banks, and savings banks. We have performed the analysis separately because, while it is true that both types of firms face the same regulatory environment and can perform exactly the same operations, strategies to respond to deregulation have differed a
great deal.

When considering the relationship between market power and cost efficiency estimated via spline smoothing (Figure 5), the difficulties of fitting a linear model are blatant due to the apparent nonlinearity of the relationship. When all banking firms are considered (Figure 5.a) the link shows a $U$-inverted functional form. For low levels of the Lerner index, the relationship is found to be positive, yet the wide standard error bands suggest significance is low. However, an inflection point is observed in the vicinity of $Lerner \approx 0.2$, when considering banking firms as a whole, and the regression line turns negative. Although the relationship between market power and cost efficiency becomes positive for high values of the Lerner index, the wide standard error bands, and also the number of observations (which are displayed on the OX axis using short vertical bars) indicate that behavior is caused by very few observations, therefore not providing statistical support to this claim. Therefore, Figure 5.a gives support to these techniques as a relevant tool for testing the quiet life, since the negative relationship (supporting the “quiet life”) does not hold for the entire conditional distribution.

Results vary a great deal if performing the analysis separately for commercial banks and savings banks. As suggested by Figure 5.b, cost efficiency has no apparent links with market power for commercial banks, as shown by the standard error bands. Therefore, the empirical evidence would be too weak either to support or reject the quiet life. Figure 5.c, on the other hand, suggests that the negative relationship found is mostly driven by savings banks.

As revealed by Figures 6 and 7, the patterns found for cost efficiency are mostly driven by their allocative components. The trend is apparent for either type of firm. In the case of technical efficiency, the sign of the relationship is mostly positive regardless of the type of firm under analysis, but especially for savings banks—which also showed the clearest tendencies for cost efficiency. In the case of banks, although the trend is unsteady, for the bulk of observations—ranging in the $Lerner \in (0.2, 0.5)$ interval—the relationship is also positive. Therefore, allocative efficiency would be the main source for the types of relationships found for cost efficiency. As suggested in Figure 7, the shape is clearly $U$-inverted for commercial banks (especially for revenue efficiency) and mostly negative for savings banks.

6. Concluding remarks

Although several studies have analyzed the relationship between market power and efficiency in banking, the empirical evidence obtained to date is not conclusive. On the one hand, the studies by Berger and Hannan (1998), Delis and Tsionas (2009) and Turk Ariss (2010), among others, support the quiet life hypothesis, according to which managers would translate higher inefficiencies into higher prices—as opposed to the efficient structure paradigm, where best practice allows firms to earn market power. On the other hand, papers by Maudos and Fernán-
de Guevara (2007), Casu and Girardone (2009), Fu and Heffernan (2009), and Koetter et al. (2012), among others, reject that hypothesis. In this context, Casu and Girardone (2009) have recently pointed out that the relationship between competition and bank performance might be more complex, and the view that competition is unambiguously good might be particularly naïve in banking (Claessens and Laeven 2004).

Despite the view that the relationship between competition and efficiency is complex is becoming increasingly popular, there have been no attempts to explore the relationship assuming more flexible approaches, postulating no a priori relationship between market power and efficiency. This is precisely what we do in this paper. Specifically, we consider nonparametric regression techniques, which are appropriate in our particular setting not only because of their flexibility, but also because they do not confine the analysis to the average effect for the average bank, and for representing an alternative to OLS which “are invalid in this context due to complicated, unknown serial correlation among the estimated efficiencies” (Simar and Wilson 2007). Therefore, we consider a fully consistent approach in which nonparametric techniques are employed not only for measuring bank efficiency but also in the second stage of the analysis, in which a deeper understanding of the relationship between efficiency and market power is investigated.

Our study is focused in the Spanish banking industry, one of the largest banking systems in Europe, which is changing dramatically in some aspects since the international financial crisis started. In particular, the specific savings banks’ sub-sector is being reshaped rapidly, as the number of savings banks will be reduced almost to one third of that existing before the beginning of the crisis.

In this particular context, our results show that there are remarkable differences between commercial banks and savings banks’ market power indicators, and also between the efficiencies found for both types of firms. In contrast to most previous studies, we conduct some tests which enable to conclude whether differences between the types of firms are significant or not. However, the most interesting finding is that, for the entire banking industry, the relationship between market power (measured using a non-structural indicator of the degree of market competition such as the Lerner index) and efficiency is not linear. The parameter that shapes the relationship between both variables is not constant along the distribution, indicating that the significance market power’s impact on efficiency varies for each firm.

The analysis steps further by assessing how the different components of inefficiency—technical and allocative—are linked to market power, using the same techniques. The analysis for technical efficiency, which sets prices aside, reveals also interesting trends: in this case, a positive relationship is found, especially for savings banks; on the other hand, when prices enter the analysis—allocative efficiency—we find that the relationship is either U-shaped or even
negative which is, again, the case for savings banks. Therefore, we consider that examining the links between market power and efficiency would benefit not only by considering these flexible approaches but also from a decomposition of the type of efficiency being analyzed.

Therefore, comparing our results with those obtained in other studies that contrast the quiet life hypothesis shows the importance of analyzing separately the different components of cost efficiency, considering that the relationship between market power and technical efficiency presents peculiarities compared to the relationship with allocative efficiency. Similarly, given that our study, as far as we know, is the only one so far published that shows the non-linearity of the relationship between market power and efficiency in the specific case of the Spanish banking sector, it is necessary to obtain additional evidence in order to test whether this result is robust in other banking sectors. Actually, the different results achieved depending on the type of bank ownership structure and business model would point out to the need of obtaining additional evidence in other countries where competition among banks with different corporate governance structure exists.
References


### Table 1: Definition of the relevant variables, 2003

<table>
<thead>
<tr>
<th>Variable</th>
<th>Variable name</th>
<th>Definition</th>
<th>Mean</th>
<th>Std. dev.</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Outputs</strong></td>
<td></td>
<td></td>
<td></td>
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</tr>
<tr>
<td>$y_1$</td>
<td>Loans‡</td>
<td>All forms of loans</td>
<td>10,218,555.16</td>
<td>21,432,079.11</td>
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<tr>
<td>$y_2$</td>
<td>Fixed-income securities‡</td>
<td>Fixed-income securities</td>
<td>2,090,161.71</td>
<td>6,650,321.65</td>
</tr>
<tr>
<td>$y_3$</td>
<td>Other securities‡</td>
<td>Other securities and participating interests</td>
<td>802,539.46</td>
<td>3,210,842.41</td>
</tr>
<tr>
<td>$y_4$</td>
<td>Nontraditional output</td>
<td>Noninterest income (net)</td>
<td>87,626.85</td>
<td>215,877.86</td>
</tr>
<tr>
<td><strong>Inputs</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>$x_1$</td>
<td>Labor‡</td>
<td>Number of employees</td>
<td>2,505</td>
<td>4,827.83</td>
</tr>
<tr>
<td>$x_2$</td>
<td>Capital‡</td>
<td>Physical capital</td>
<td>185,679.47</td>
<td>364,581.79</td>
</tr>
<tr>
<td>$x_3$</td>
<td>Purchased funds‡</td>
<td>All deposit categories</td>
<td>12,446,063.86</td>
<td>28,729,959.75</td>
</tr>
<tr>
<td><strong>Input Prices</strong></td>
<td></td>
<td></td>
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</tr>
<tr>
<td>$w_1$</td>
<td>Wages &amp; salaries</td>
<td>Labor expenses/$x_1$</td>
<td>51.287</td>
<td>10.627</td>
</tr>
<tr>
<td>$w_2$</td>
<td>Price of physical capital</td>
<td>(Amortizations+other noninterest expenses)/$x_2$</td>
<td>0.987</td>
<td>1.994</td>
</tr>
<tr>
<td>$w_3$</td>
<td>Price of purchased funds</td>
<td>Financial costs/$x_3$</td>
<td>0.019</td>
<td>0.009</td>
</tr>
</tbody>
</table>

†In thousands of euros.
### Table 2: Distribution hypothesis tests\(^a\) (Li 1996) (1992–2003)

<table>
<thead>
<tr>
<th>Null hypothesis ((H_0)^b)</th>
<th>T-test statistics</th>
<th>1-Percent significance level (critical value=2.3263)</th>
</tr>
</thead>
<tbody>
<tr>
<td>(f(Lerner^{Commercial banks}) = g(Lerner^{Savings banks}))</td>
<td>33.5789</td>
<td>(H_0) rejected</td>
</tr>
<tr>
<td>(f(Lerner^{Banking firms, 1992}) = g(Lerner^{Banking firms, 2003}))</td>
<td>17.1974</td>
<td>(H_0) rejected</td>
</tr>
<tr>
<td>(f(Lerner^{Commercial banks, 1992}) = g(Lerner^{Commercial banks, 2003}))</td>
<td>3.4918</td>
<td>(H_0) rejected</td>
</tr>
<tr>
<td>(f(Lerner^{Savings banks, 1992}) = g(Lerner^{Savings banks, 2003}))</td>
<td>15.9216</td>
<td>(H_0) rejected</td>
</tr>
</tbody>
</table>

\(^a\) Notes: \(f(\cdot)\) and \(g(\cdot)\) are (kernel) distribution functions for market power.

\(^b\) The null hypothesis tests for the equality of distributions \(H_0: f(x) = g(x), \forall x\), against the alternative, \(H_1: f(x) \neq g(x), \text{for some } x\).
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</thead>
<tbody>
<tr>
<td><strong>Unweighted mean</strong></td>
<td>0.843</td>
<td>0.822</td>
<td>0.814</td>
<td>0.802</td>
<td>0.817</td>
<td>0.734</td>
<td>0.714</td>
<td>0.698</td>
<td>0.733</td>
<td>0.760</td>
<td>0.722</td>
<td>0.760</td>
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<tr>
<td><strong>Weighted mean</strong></td>
<td>0.928</td>
<td>0.930</td>
<td>0.929</td>
<td>0.904</td>
<td>0.906</td>
<td>0.872</td>
<td>0.845</td>
<td>0.876</td>
<td>0.898</td>
<td>0.910</td>
<td>0.867</td>
<td>0.884</td>
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<td><strong>Std.Dev.</strong></td>
<td>0.113</td>
<td>0.138</td>
<td>0.133</td>
<td>0.138</td>
<td>0.134</td>
<td>0.170</td>
<td>0.181</td>
<td>0.205</td>
<td>0.181</td>
<td>0.164</td>
<td>0.181</td>
<td>0.172</td>
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<tr>
<td><strong>Median</strong></td>
<td>0.893</td>
<td>0.821</td>
<td>0.777</td>
<td>0.775</td>
<td>0.802</td>
<td>0.695</td>
<td>0.682</td>
<td>0.669</td>
<td>0.691</td>
<td>0.753</td>
<td>0.684</td>
<td>0.749</td>
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<tr>
<td><strong>Kurtosis</strong></td>
<td>-1.032</td>
<td>-0.463</td>
<td>-1.421</td>
<td>-1.067</td>
<td>-1.133</td>
<td>-1.103</td>
<td>-1.137</td>
<td>-1.234</td>
<td>-1.196</td>
<td>-1.156</td>
<td>-1.136</td>
<td>-1.230</td>
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<tr>
<td><strong>Skewness</strong></td>
<td>-0.058</td>
<td>-0.375</td>
<td>0.225</td>
<td>0.012</td>
<td>0.076</td>
<td>0.306</td>
<td>0.229</td>
<td>0.193</td>
<td>0.236</td>
<td>0.101</td>
<td>0.258</td>
<td>0.010</td>
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<td>104</td>
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<td>108</td>
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<td>100</td>
<td>94</td>
<td>86</td>
<td>94</td>
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<tr>
<td><strong>Unweighted mean</strong></td>
<td>0.912</td>
<td>0.894</td>
<td>0.887</td>
<td>0.874</td>
<td>0.889</td>
<td>0.803</td>
<td>0.795</td>
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<td>0.806</td>
<td>0.816</td>
<td>0.777</td>
<td>0.849</td>
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<tr>
<td><strong>Weighted mean</strong></td>
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<td>0.967</td>
<td>0.974</td>
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<td>0.954</td>
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<td>0.965</td>
<td>0.960</td>
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<td>0.960</td>
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<tr>
<td><strong>Std.Dev.</strong></td>
<td>0.090</td>
<td>0.126</td>
<td>0.123</td>
<td>0.128</td>
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<td>0.173</td>
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<td>0.190</td>
<td>0.171</td>
<td>0.203</td>
<td>0.174</td>
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<tr>
<td><strong>Median</strong></td>
<td>0.924</td>
<td>0.924</td>
<td>0.928</td>
<td>0.892</td>
<td>0.926</td>
<td>0.792</td>
<td>0.798</td>
<td>0.737</td>
<td>0.846</td>
<td>0.797</td>
<td>0.759</td>
<td>0.902</td>
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<td><strong>Kurtosis</strong></td>
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<td>-1.069</td>
<td>0.045</td>
<td>-0.580</td>
<td>-1.264</td>
<td>-1.261</td>
<td>-1.338</td>
<td>-1.460</td>
<td>-1.369</td>
<td>-1.442</td>
<td>-0.673</td>
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<tr>
<td><strong>Skewness</strong></td>
<td>-0.693</td>
<td>-1.362</td>
<td>-0.665</td>
<td>-0.865</td>
<td>-0.750</td>
<td>-0.135</td>
<td>-0.225</td>
<td>-0.236</td>
<td>-0.306</td>
<td>-0.297</td>
<td>-0.216</td>
<td>-0.870</td>
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<td>53</td>
<td>52</td>
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<td>51</td>
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<tr>
<td><strong>Savings banks</strong></td>
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<tr>
<td><strong>Unweighted mean</strong></td>
<td>0.774</td>
<td>0.747</td>
<td>0.739</td>
<td>0.719</td>
<td>0.735</td>
<td>0.653</td>
<td>0.625</td>
<td>0.644</td>
<td>0.659</td>
<td>0.710</td>
<td>0.665</td>
<td>0.683</td>
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**Table 3:** Cost efficiency, 1992–2003
### Table 4: Technical efficiency, 1992–2003

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### Table 5: Input allocative efficiency, 1992–2003

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Figure 1: Violins plots of market power (Lerner index), 1992–2003

(a) Banking firms

(b) Commercial banks

(c) Savings banks
Figure 2: Violin plots of banks’ cost efficiency, 1992–2003

(a) Banking firms

(b) Commercial banks

(c) Savings banks
Figure 3: Violin plots of banks’ technical efficiency, 1992–2003

(a) Banking firms

(b) Commercial banks

(c) Savings banks
**Figure 4:** Violin plots of banks’ allocative efficiency, 1992–2003

(a) Banking firms

(b) Commercial banks

(c) Savings banks
Figure 5: Cost efficiency vs. market power (Lerner index), spline smoothing regression (1992–2003)

(a) Banking firms

(b) Commercial banks

(c) Savings banks
Figure 6: Technical efficiency vs. market power (Lerner index), spline smoothing regression (1992–2003)

(a) Banking firms

(b) Commercial banks

(c) Savings banks
Figure 7: Allocative efficiency vs. market power (Lerner index), spline smoothing regression (1992–2003)

(a) Banking firms

(b) Commercial banks

(c) Savings banks