

## **Concentration Indexes**

The aims of the concentration indexes are:

- To measure the proximity of a market to the situations of perfect competition or monopoly
- The closer the market structure to one of the two extreme configurations, the closer will be also behaviour and results of the firms operating in the market.

### **Assumptions:**

- $n$  firms industry
- outputs  $q_1 > q_2 > q_3 > \dots > q_n$

- $Q = \sum_{i=1}^N q_i$

- We define the market share of firm  $i$  as

$$s_i = \frac{q_i}{Q}$$

## 1. Reciprocal of the number of firms

$$R = \frac{1}{N}$$

Example 1:

|    | A   | B   | C   | D   |
|----|-----|-----|-----|-----|
| 1  | 240 | 360 | 153 | 150 |
| 2  | 210 | 240 | 135 | 150 |
| 3  | 30  | 240 | 135 | 150 |
| 4  | 30  | 240 | 108 | 150 |
| 5  | 30  | 72  | 90  | 150 |
| 6  | 30  | 48  | 72  | 150 |
| 7  | 30  |     | 72  | 150 |
| 8  |     |     | 54  | 150 |
| 9  |     |     | 45  | 150 |
| 10 |     |     | 36  | 150 |

|   | A              | B               | C             | D             |
|---|----------------|-----------------|---------------|---------------|
| R | 0.143<br>(1/7) | 0.1667<br>(1/6) | 0.1<br>(1/10) | 0.1<br>(1/10) |

Problems:

- It only uses information on the number of firms and not of relative size of each firm

## 2. Concentration ratio ( $C_k$ )

$$C_k = \sum_{i=1}^k s_i$$

Sum of the market shares of the K largest firms in the market

### **Properties**

- Minimum value:  $\frac{k}{n} \rightarrow$  Minimum concentration: when all firms have the same market share.
- Maximum Value: 1.
- Pros: easy calculus and interpretation

### **Problems :**

- Arbitrary choice of  $k$ : this kind of index ignores any information available on the  $n-k$  smaller firms  $\rightarrow$  lost/waste of information  $\rightarrow$  possibility of obtaining contradictory results depending on the choice of  $k$ .

### **Example II:**

|       | A  | B  | C  | D  |
|-------|----|----|----|----|
| $C_2$ | 75 | 50 | 32 | 20 |
| $C_5$ | 90 | 96 | 69 | 50 |

### **3. Herfindahl Index**

$$H = \sum_{i=1}^n s_i^2$$

Sum of square of the market shares of ALL firms in the market

#### **Properties**

- Minimum value:  $\frac{1}{n} \rightarrow$  Minimum concentration: when all firms have the same market share
- Maximum value: 1  $\rightarrow$  Maximum concentration
- Pros: it uses information on the market shares of all firms in the market

#### **Problems (cons):**

It is difficult to obtain the market share of every firm that operates in a single market.

#### **Example III:**

|   | A     | B     | C     | D   |
|---|-------|-------|-------|-----|
| H | 0.295 | 0.215 | 0.118 | 0.1 |

## Alternative formulation of the Herfindahl

$$H = \frac{c^2 + 1}{n} \text{ con } c = \frac{\sigma_s}{\bar{s}}$$

H depende both on:

1. Variation coefficient (c): defined as the ratio of Standard deviation of market shares on average market share → it measures disparity in firms market share

2. n: number of firms in the market

$H = 1$  ( $c^2 = 0$  y  $n = 1$ ) → monopoly

$H = 0$  ( $c^2 = 0$  y  $n \rightarrow \infty$ ) → perfect competition

## **Common problems to the three competition indexes:**

1. How do they deal with the existence of holdings/conglomerates of firms: if concentration indexes should measure market power, to calculate the indexes we should not use firms' market share but decision agents' market shares.

Example: sector de la distribución alimentaria en España

Carrefour: Carrefour + DIA + Simago

El Corte Ingles SA : Supermercados El Corte Ingles+ Hipercor+Supercor+Opencor

2. Relevant market definition:

Regional scale: high market share of the local Saving Banks (Bancaja-CAM in the Comunidad Valenciana, Caja Madrid en la Comunidad Autonoma of Madrid, Ibercaja in Aragón...)

Nacional scale: high market share of the main commercial banks (BSCH, BBVA,...)